

Unit 1: Geometric Proofs (Sophomore Only)

	4 – Mastery	3 – Proficient	2 - Basic	1 – Below Basic	0 – No Evidence
Algebraic coordinate proofs (G.GPE.4)	<p>Can extend thinking beyond the standard, including tasks that may involve one of the following:</p> <ul style="list-style-type: none"> • Designing • Connecting • Synthesizing • Applying • Justifying • Critiquing • Analyzing • Creating • Proving 	Using coordinate geometry and the Pythagorean, slope, distance, and midpoint formulas to prove the types of quadrilaterals	Using coordinate geometry and the Pythagorean, slope, distance, and midpoint formulas to identify the types of quadrilaterals	Using coordinate geometry and the Pythagorean, slope, distance, and midpoint formulas to identify properties of quadrilaterals	<p>Little evidence of reasoning or application to solve the problem</p> <p>Does not meet the criteria in a level 1</p>
Slope with parallel and perpendicular lines (G.GPE.5)		Prove a pair of lines are parallel or perpendicular using slope	Given the slope of 1 line , prove if a pair of lines are parallel or perpendicular	Given the slope of a pair of lines , identify the lines are parallel or perpendicular	
Partition a line segment (G.GPE.6)		Write the equation of a line that is parallel and perpendicular to a given line that passes through a given point	Write the equation of a line that is parallel or perpendicular to a given line that passes through a given point	Identify the equation of a line that is parallel or perpendicular to a given line that passes through a given point	
Circle similarity (G.C.1)		Find the point on a line segment, given two endpoints that divide the segment into a given ratio	Find the point on a line segment, given two endpoints, that divides a horizontal or vertical segment into a given ratio	Find the point on a line segment, given two endpoints, that divides the segment in half	
Lines and angles (G.CO.9)		Use similarity to prove : <ul style="list-style-type: none"> • Circles are similar using transformations • The length of the arc intercepted by an angle is proportional to the radius 	Use similarity to do all of the following: <ul style="list-style-type: none"> • Prove circles are similar using transformations • Calculate the length of an arc 	Use similarity to do one of the following: <ul style="list-style-type: none"> • Prove circles are similar using transformations • Calculate the length of an arc 	
Triangles (G.CO.10) side-splitter, Pythagorean, proof by similarity (G.SRT.4)		Prove all of the following theorems <ul style="list-style-type: none"> • Vertical angles are congruent. • When a transversal crosses parallel lines, alternate interior angles are congruent and corresponding angles are congruent 	Show mathematically all of the following theorems <ul style="list-style-type: none"> • Vertical angles are congruent. • When a transversal crosses parallel lines, alternate interior angles are congruent and corresponding angles are congruent 	Identify all of the following <ul style="list-style-type: none"> • Vertical angles are congruent. • When a transversal crosses parallel lines, alternate interior angles are congruent and corresponding angles are congruent 	
Triangles (G.CO.10) side-splitter, Pythagorean, proof by similarity (G.SRT.4)	Prove all of the following theorems: <ul style="list-style-type: none"> • a line parallel to one side of a triangle divides the other two proportionally • if a line divides two sides of a triangle proportionally; then it is parallel to the third side. • Pythagorean Theorem proved using triangle similarity 	Prove 2 of the following theorems: <ul style="list-style-type: none"> • a line parallel to one side of a triangle divides the other two proportionally • if a line divides two sides of a triangle proportionally; then it is parallel to the third side. • Pythagorean Theorem proved using triangle similarity 	Prove1 of the following theorems: <ul style="list-style-type: none"> • a line parallel to one side of a triangle divides the other two proportionally • if a line divides two sides of a triangle proportionally; then it is parallel to the third side. • Pythagorean Theorem proved using triangle similarity 		

Parallelograms (G.CO.11)		Prove all of the following theorems about parallelograms <ul style="list-style-type: none">• opposite sides are congruent,• opposite angles are congruent,• the diagonals of a parallelogram bisect each other,• rectangles are parallelograms with congruent diagonals	Show mathematically all of the following theorems about parallelograms <ul style="list-style-type: none">• opposite sides are congruent,• opposite angles are congruent,• the diagonals of a parallelogram bisect each other,• rectangles are parallelograms with congruent diagonals	Identify all of the following theorems about parallelograms <ul style="list-style-type: none">• opposite sides are congruent,• opposite angles are congruent,• the diagonals of a parallelogram bisect each other,• rectangles are parallelograms with congruent diagonals	
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